# Arc Temperature at Breaking of Au Contact 

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#### Abstract

The arc temperatures at breaking of Au contact were obtained by the spectroscopic measurement. It has been done at DC60V and 2, 3 and 5A. The value of arc temperature obtained was $6500^{\circ} \mathrm{K}$ to $7500^{\circ} \mathrm{K}$. The temperature of contact arc was indipendent for the change of current through the contact. In this case, the current density of the anode spot on Au contact is about $10^{3} \mathrm{~A} / \mathrm{cm}^{2}$ and is constant. And it was shown that a thermal equilibrium has existed in this arc column from the relation between the relative intensity of $A u_{I}$ lines and the upper level for each spectrum.


## 1. Introduction

A phenomena of the thermal ionization of atoms and the re-combination of electron-positive ion have occured too much in an arc column of contact arc. This arc has continued under the condition which the thermal ionization has equilibrated to the recombination. In order to analyze these phenomena in this arc column, the measurements of the electron density and the arc temperature in an arc column is absolutely necessary. The present paper is touched upon the arc temperature at breaking of Au contact.

Up to the present, the some studies have been taken on it. The present author has estimated the arc temperature of $\mathrm{Ag}-\mathrm{n} \% \mathrm{CdO}$ contact by measuring the ratio of the relative intensities of a pair of spectrum ${ }^{(1)}$. Let us neme Method 1 for this. T. Aida et al. have obtained the arc temperature of $\mathrm{Ag}-\mathrm{Cd}$ contact from a plot of the relative intensities of $\mathrm{Ag}_{\mathrm{I}}$ spectra versus the excitation potential for each line ${ }^{(2)}$. Let us name Method 2 for this. In the present peper, the arc temperature at breaking of Au contact was obtained from Method 2, and this arc was added the consideration about a thermal equilibrium from a plot of the relative intensities of $A u_{I}$ spectra versus the excitation potential for each line.

## 2. Experimental Procedure

The contact material used is $A u$. and its shape is a flat surface in the
cathode, and a spherical in the anode. Its size is $5 \phi \times(3 \sim 5) \mathrm{mm}$.
The experimental circut consists of the serial contacts, $c_{1}$ and $c_{2}$. The circuit is adjusted so that the arc at $c_{1}$ will arise only when $c_{1}$ breaks, and that at $c_{2}$ will do so only when $c_{2}$ makes. The current is supplied from batteries, and a water resistance is used as a load to prevent any inductance. The source voltage is DC 60 volts, and the current is 2,3 and 5 amperes.

The contact arc at breaking is gathered on a slit of the spectroscope by using a convex lens and is splitted into some spectral lines on the photograph of arc spectra. After the films were developed, the relative densities of spectral lines were measured with the microphotometer. The film is NEOPAN SSS (PANCHROMATIC), ASA: 200, which is developed for 9 minutes at $21 \pm 1^{\circ} \mathrm{C}$

## 3. principle of Measurement

The Einstein-Boltzmann equation for the intensity of spectral line can be written in the form ${ }^{(3)}$,

$$
\begin{equation*}
I=N \frac{g}{u} A h \nu \exp \left(-\frac{E}{k T}\right) \tag{1}
\end{equation*}
$$

where $N$ is the particle density of the ground state and $u$ is the partition function for any pairticular atom or ion; $h$ is Planck's constant; $k$ is Boltzmann's constant; $E$ is the energy of the upper level and $g$ is the statistical weight of the upper level; $A$ is Einstein's transition probability, $I$ is the intensity and $\nu$ is the frequency of the line; $T$ is the absolute temperature of a source which follows a Boltzmannian distribution of energy.

Substituting $\nu=c / \lambda$, where $c$ is the light velocity and $\lambda$ the wavelength of the line, and changing into logarithmic form (base 10), equation (1) becomes

$$
\begin{equation*}
\log \frac{I \lambda}{g A}=\log \frac{N h c}{u}-\frac{0.434 E}{k T} \tag{2}
\end{equation*}
$$

The first term on the right of (2) is a constant for any particular element in this arc. We set it equal to $C$ and solve for $T$. Introducing a value for $k$,

$$
\begin{equation*}
T=-\frac{625 E}{\log \frac{I \lambda}{g A}-C} \tag{3}
\end{equation*}
$$

where $T$ is $\mathrm{in}^{\circ} \mathrm{K}$ and $E$ is in units of $10^{3} \mathrm{~cm}^{-2}$ which we will call kilokaysers $\left(1 \mathrm{kK}=1000 \mathrm{~cm}^{-1}\right.$ ). The value of $T$ is most conveniently obtained from a plot of $\log I \lambda / g A$ versus $E$ for each spectrum in which relative values of $g A$ are known. The constant $C$ does not affect the slope of the line from which $T$ is determined.

In the present measurement, the spectroscope used is able to measure from $4000 \AA$ to $7000 \AA$ about the wavelength range. The $A u_{1}$ spectra in this wavelength range are shown in Table $1^{(4)}$. As shown in Table 1, the number of lines are 7. The arc temperature of contact is determined by comparison of

Table. 1. Wavelength, spectrum, energy level and $g A$ value of Au

| Wavelength <br> $\AA$ | Spectrum | Energy Levels <br> $\mathbf{K}$ | $g A$ value <br> $10 / \mathrm{sec}$. |
| :---: | :---: | :---: | :--- |
| 4315.09 | $\mathbf{A u}$ | $45337-68705$ | 1.3 |
| 4437.27 | $\mathrm{Au}_{\mathrm{I}}$ | $46174-68705$ | 0.78 |
| 4488.25 | Au | $45537-67812$ | 1.6 |
| 4607.34 | $\mathrm{Au}_{\mathrm{I}}$ | $47007-68705$ | 6.1 |
| 4792.60 | $\mathrm{Au}_{\mathrm{I}}$ | $41174-62034$ | 2.9 |
| 5837.40 | $\mathrm{Au}_{\mathrm{I}}$ | $37359-54485$ | 1.0 |
| 6278.18 | $\mathrm{Au}_{\mathrm{I}}$ | $21435-37359$ | 0.048 |

intensities of 7 spectral lines with published relative $g A$-values.

## 4. Results

The relations between $\log$ ratio of intensity $\times \lambda$ to $g A$-value for lines of $A u_{I}$ in the arc at breaking of $A u$ contact and the upper level for each spectrum are shown in Fig. 1, 2 and 3. These are in cese of 2,3 and 5 amperes at DC


Fig. 1. Log ratio of intensity $\times \lambda$ to $g A$ for lines of Au in the contact are plotted versus upper level. An arc temperature of $6900^{\circ} \mathrm{K}$ is derived from the slope of the line of best fit.

60 volts, respectively.
The arc temperatures determined from the slope of the plot were given in Table 2. As shown in Table 2, we can not find the differences between the arc temperatures for every current. This result is as well as the result on the arc temperature on $\mathrm{Ag}-\mathrm{n} \% \mathrm{CdO}$ contact( ${ }^{(1)}$. The value of arc temperature


Fig. 2. Log ratio of intensity $\times \lambda$ to $g A$ for lines of $A u$ in the contact arc plotted versus upper level. An arc temoerature of 7300 。 K is desived from the slope of the line of best fit.


Fig. 3. Log ratio of intensity $\times \lambda$ to $g A$ for lines of Au in the contact arc plotted versus upper level.
An arc temperature of $6600^{\circ} \mathrm{K}$ is derived from the slope of the line of best fit.

Table. 2. Arc temperatures at breaking of Au contact obtained from each experiment.

| Experimental <br> condition | DC $60 \mathrm{~V}, 2 \mathrm{~A}$ | DC $60 \mathrm{~V}, 3 \mathrm{~A}$ | DC $60 \mathrm{~V}, 5 \mathrm{~A}$ |
| :---: | :---: | :---: | :---: |
| Individual | $6900^{\circ} \mathrm{K}$ | $7300^{\circ} \mathrm{K}$ | $6600^{\circ} \mathrm{K}$ |
| determination |  | $7500^{\circ} \mathrm{K}$ | $7100^{\circ} \mathrm{K}$ |
|  |  | $7200^{\circ} \mathrm{K}$ | $6800^{\circ} \mathrm{K}$ |
| mean value | $6900^{\circ} \mathrm{K}$ | $7330^{\circ} \mathrm{K}$ | $6850^{\circ} \mathrm{K}$ |

was estimated to be $6500^{\circ} \mathrm{K}$ to $7500^{\circ} \mathrm{K}$.
As shown in Fig. 1, 2 and 3, these slope of the lines fits in the measuring point for each line. From these results, it is considered that the thermal equilibrium has existed in the arc column at breaking of Au contact.

## 5. Discussion of Results

These plots of Au data from the experiment are long and straight, but show some scatter. And the present measurement covers a long range of $E$, whose range is between 37 kK and 49 kK , but it is a small number of lines.

No comparable values find to the results on the arc temperature of Au . It is considered that these arc temperaturcs are reasonable value from the good plot of Au data.

As the contact arc is a transient phenomenon, so the arc current density is more reasonable than the current through the contacts on the electric con-


Fig. 4. Change of arc current density at anode spot with the lapse of time: Au contact, DC $60 \mathrm{~V}, 5 \mathrm{~A}$.
dition which prescribes on the arc temperature. The current density at anode spot of Au contact is shown in Fig. 4. As shown in Fig. 4, its value is about $10^{3} \mathrm{~A} / \mathrm{cm}^{2}$.

## 6. Conclusion

The arc temperature at breaking of Au contact was measured photo graphically. The conclusions obtained are as follows.
(1) The values of arc temperature of Au contact are $6500^{\circ} \mathrm{K}$ to $7500^{\circ} \mathrm{K}$.
(2) The plots of Au data are good, and show that the thermal equilibrium exists in this arc column.
(3) The current density at anode spot of Au contact is about $10^{3} \mathrm{~A} / \mathrm{cm}^{2}$ and is constant.

More reasonable value of arc temperature may be obtained by using a lerge number of $A u_{I}$ lines.

## Feferences

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